

Enhancing Treatment Effect
Estimation in Clinical Trials using
Machine Learning: A Within-Study
Prognostic Score Approach

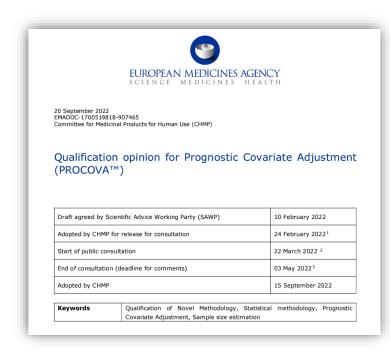
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#### CHMP qualifies PROCOVA as prognostic score adjustment

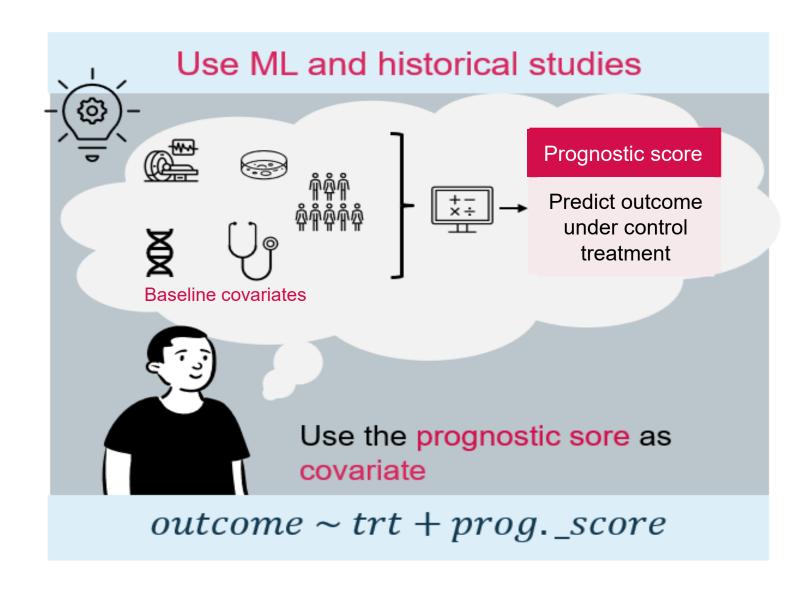


- Motivation efficiency gain of Phase 2/3 studies when estimating treatment effects
- // Utilize Machine Learning techniques and historical data to develop prognostic models
- // Condense the prognostic information from multiple baseline covariates

Focus: Linear regression without interactions



# Condense the prognostic vc98c information from multiple baseline covariates





#### Limitations of historical data use for prognostic modeling

- // No matching historical datasets
- // Difficulties in data harmonization
- Cost of acquiring data
- Population drift over time
- # Quality of observational vs RCT historical data

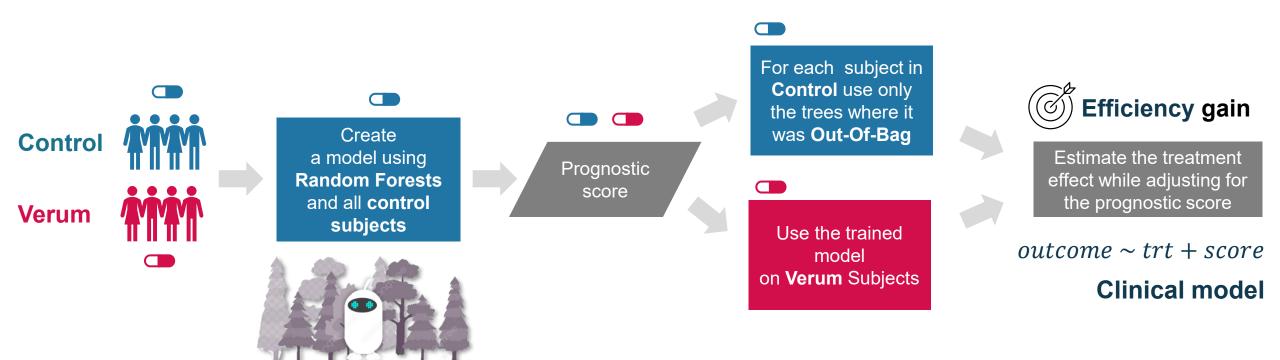


# Limitations of historical data use for prognostic modeling CHMP/EMA Qualification (2022):

- "A drawback of PROCOVA, however, is that the prognostic score must be prespecified including a scale factor, and weights used within the score cannot be adjusted to possible differences between the training setting and the actual trial setting.
- CHMP Response to a comment: "We agree that further work comparing PROCOVA to methods that do not use historical data (e.g. by using machine learning predictions on data for the control arm of the trial itself) would be an interesting and valuable task."



# Our approach focuses on estimating prognostic models from within-study data



Prognostic scores for each participant — including those in the placebo arm — are derived from models trained on independent datasets, thus mitigating biases related to model selection.



#### Simulation study on prognostic score adjustment

#### GOAL

Assess the properties of prognostic covariate adjustment in a controlled environment for different scenarios of interest

#### SPECIAL FOCUS

Comparison of the independent study and the within-study approach



**General effects** on treatment effect estimation in linear models

- // Change in precision
- // Potential bias
- # Effect on type I error



#### Simulation scenarios

#### Fixed simulation parameters

- // Number of subjects in the target study (125 in placebo, 250 in treatment)
- // Prognostic factors in the training study



# Simulation scenarios Varying simulation parameters

Simulation parameter	Level 1	Level 2	Level 3
Number of placebo subjects in the training study	2000	500	125
Performance of the ML model in the training study <sup>1)</sup>	high	mediocre	poor
Prognostic factors in the target study	same as in training	partially the same	completely different
Treatment effect size in the target study <sup>2)</sup>	80% power	50% power	no effect

- 1) controlled by the proportion of variability explained by the prognostic factors
- 2) effect size calibrated to the given power in the unadjusted model

Combinations of these parameters lead to **81 simulation scenarios**, each with **1000 iterations** for a total of **162.000 ML models** tuned and trained.



### Simulation approach Steps per simulation iteration

Draw synthetic data sets

- Train a prognostic ML model (random forest) (use control arms only)
- Calculate prognostic score for the subjects 3 in the target study

Fit linear models to the target study to assess the treatment effect

**Compared linear models** 

Score variations:

 $y \sim \text{treatment} + \text{score}_{independent}$ 

 $v \sim \text{treatment} + \text{score}_{within}$ 

#### Reference models:

 $\gamma \sim \text{treatment}$ 

 $y \sim \text{treatment} + \text{covariates}_{oracle}$ 

The last model assumes perfect knowledge of the DGP and can be considered the best case for the respective scenario.



#### Model ■ .trt + independent ■ .trt + within ■ .trt + oracle

#### Model

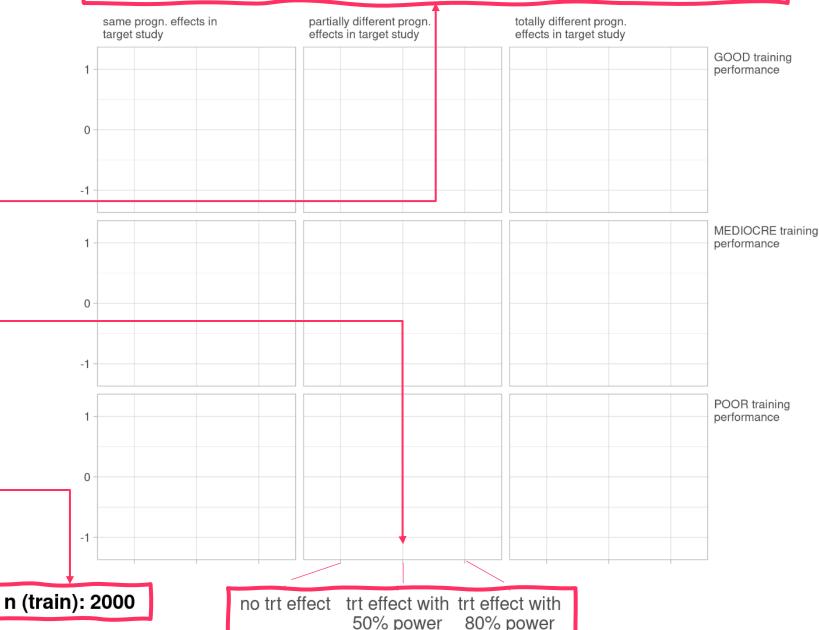
indicated by **color** in each panel

#### **Treatment effect size**

on the **x-axis** of each panel

#### **Training population size**

will be kept **fixed** per figure

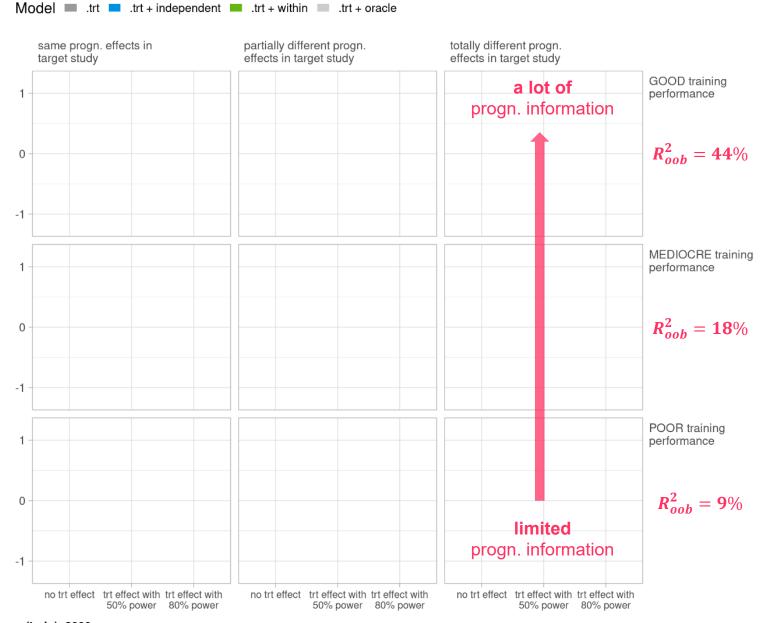




#### ROWS

## Amount of prognostic information

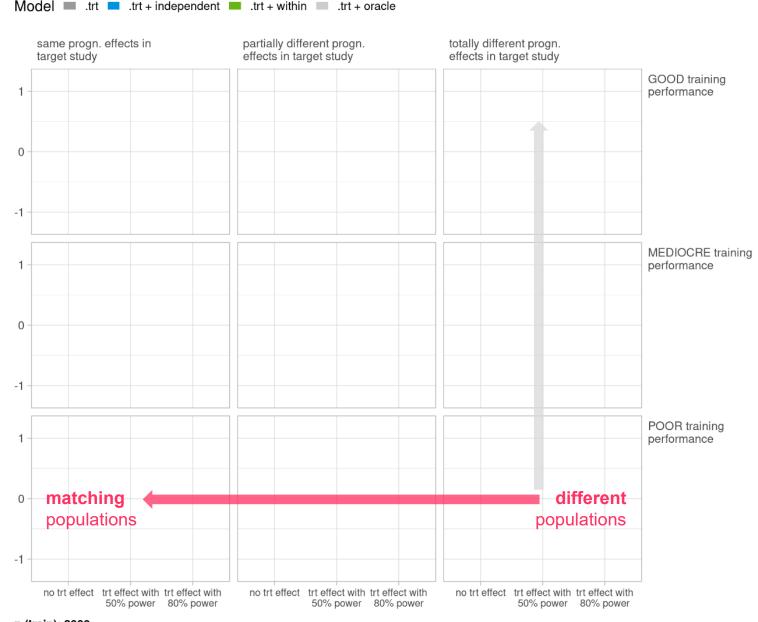
in the baseline data of the training study (reflected by training performance of the ML model)





#### **COLUMNS**

Similarity of populations in training and target study w.r.t. prognostic factors (only relevant for independent study approach)



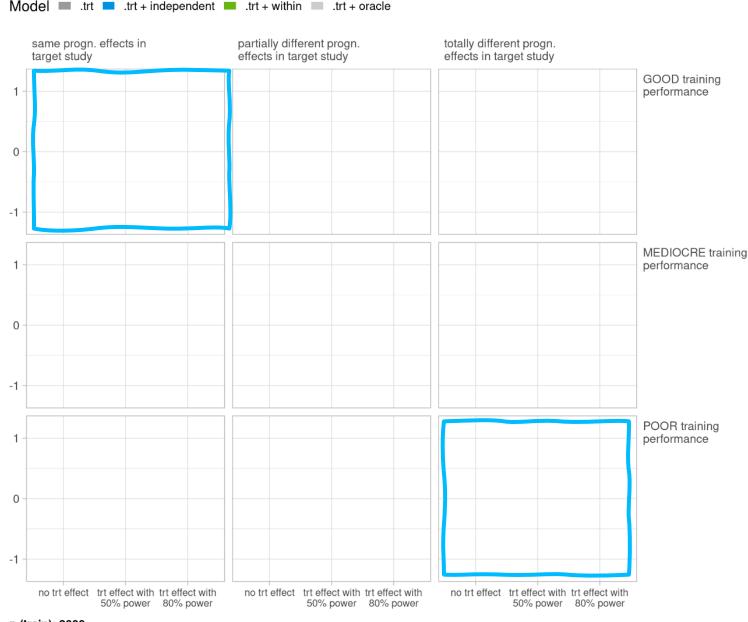


#### **Best case**

- # good training performance
- # similar populations in training and target study

#### Worst case

- // poor training performance
- // different populations in training and target study

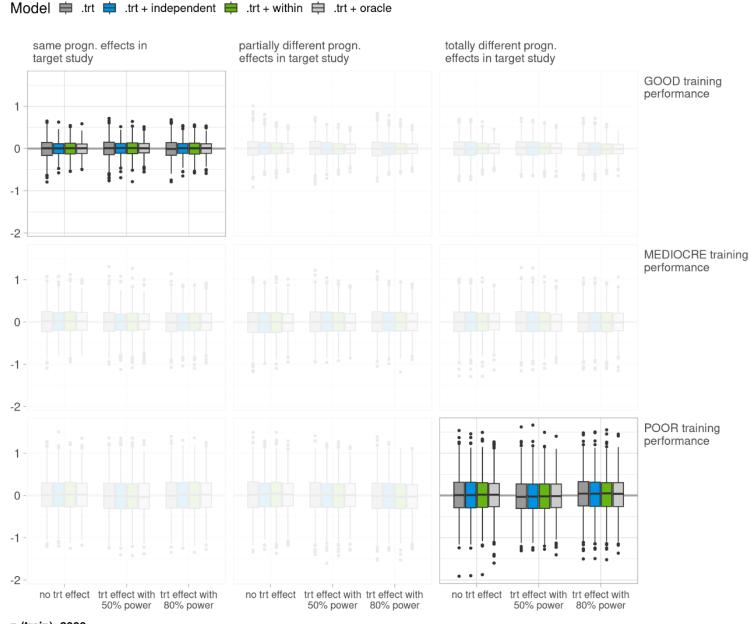




#### Unbiasedness

Difference between estimated and real treatment effect

// Difference of estimator and true effect varies symmetrically around zero

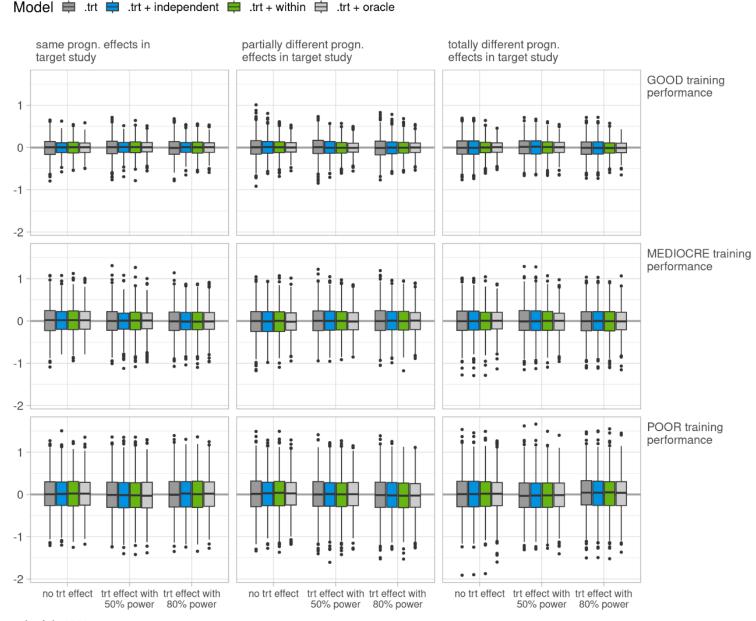




#### Unbiasedness

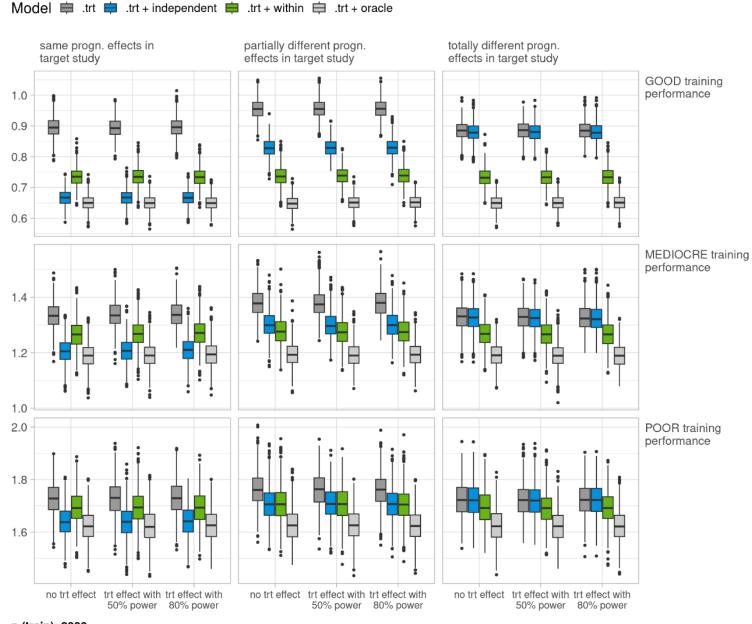
Difference between estimated and real treatment effect

- // Difference of estimator and true effect varies symmetrically around zero
- // No systematic bias in any of the scenarios





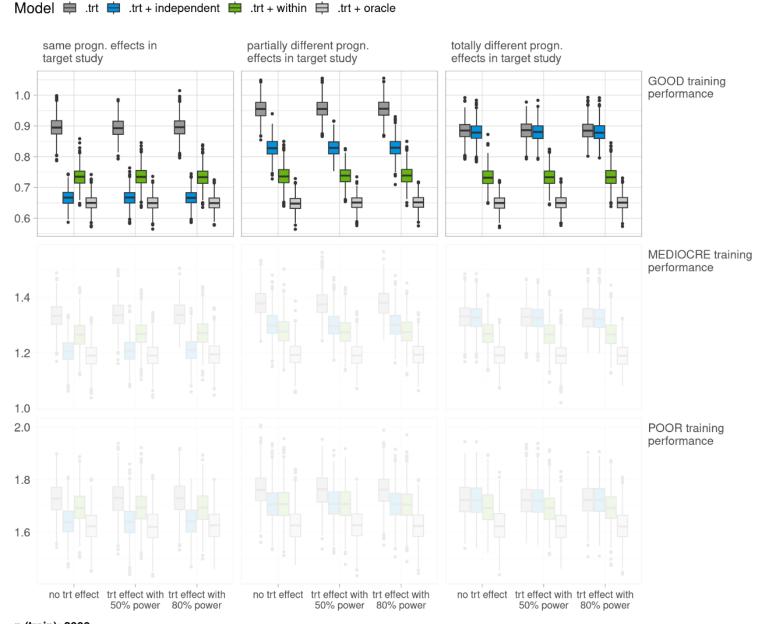
## Widths of 95% CI for the treatment effect estimate





## Widths of 95% CI for the treatment effect estimate

- Benefit of independent study score ranges depending on similarity of populations
- // Within-study is independent by design



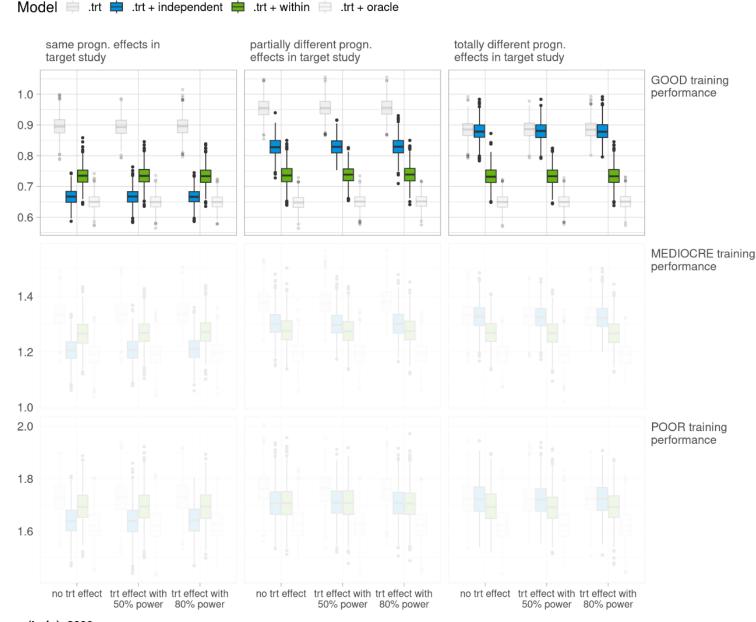


## Widths of 95% CI for the treatment effect estimate

// Ranking of within-study and independent study approach depends on similarity of studies:

#### Smaller CI width with the

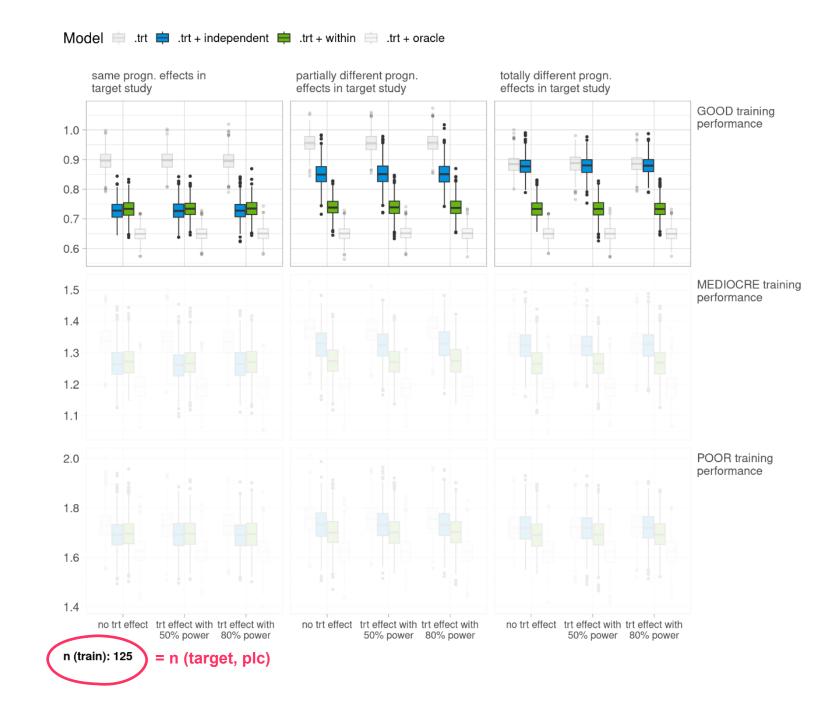
- // Independent study score, if prognostic factors are the same
- // Within-study score, if prognostic factors are at least partially different





## Widths of 95% CI for the treatment effect estimate

- Size of historical data and control arm of target study is the same
- // No Advantage of independent study score over within-study scor

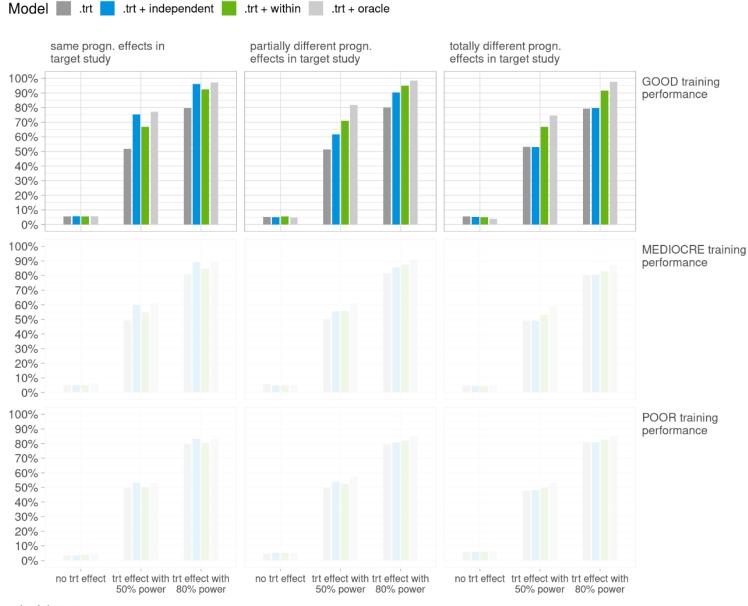




#### Power

Proportion of treatment effect estimate p-values ≤ 5%

// Power either increases or stays the same, when adding any version of the prognostic score

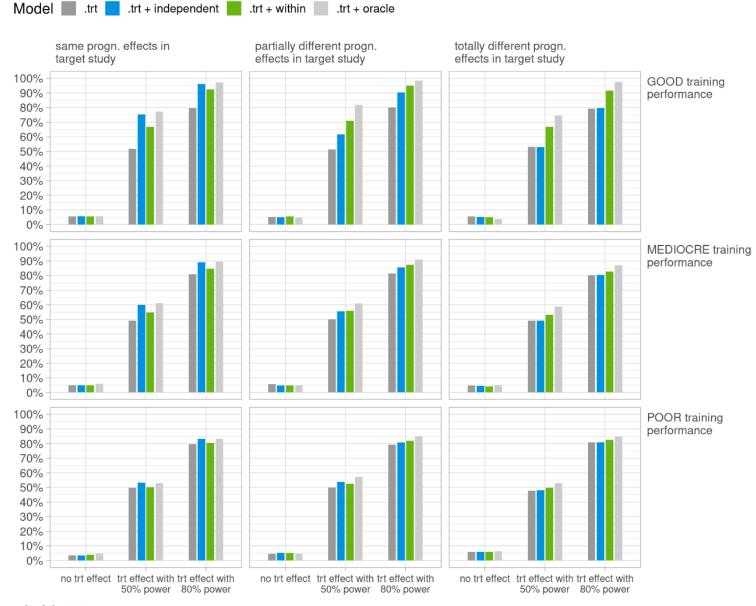




#### Power

Proportion of treatment effect estimate p-values < 5%

- // No effect on type I error
- Slight differences from the targeted 5% type I error in some cases seem to be random and can be explained by the relatively low number of simulation iterations (1000)
- // No loss of power





#### Conclusions from simulation study

Comparison of our **implementation of a within-study** vs **independent study** data led to the following conclusions.

- // No systematic bias
- // No effect on type I error
- // No loss of power or precision
- # Each score version is preferrable in certain scenarios in terms of larger benefits in the final analysis.
- // Important factors to consider when choosing the appropriate score version
  - Similarity of populations (comparability of historical data set, at least partially matching)
  - // Sample size (and availability) of historical data in comparison to target study



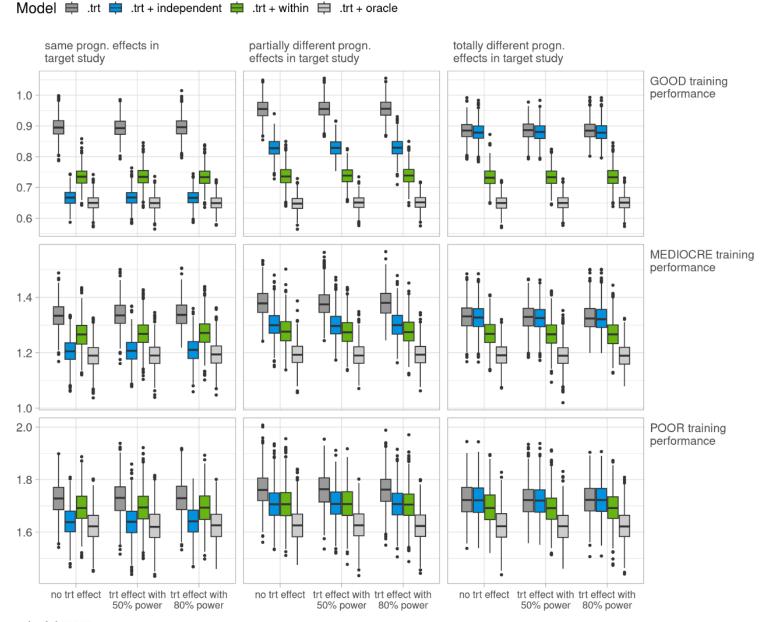
# Thank you!



#### B A BAYER E

## Widths of 95% confidence intervals for the treatment effect estimate

Benefit of independent study score ranges between (close to) oracle and trt only model depending on similarity of populations, while within-study is independent by design





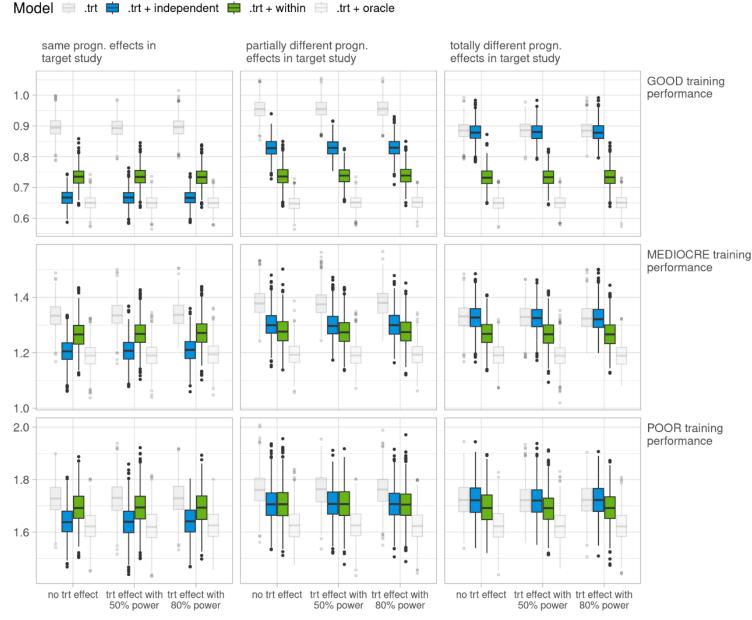


Widths of 95% confidence intervals for the treatment effect estimate

- Benefit of independent study score ranges between (close to) oracle and trt only model depending on similarity of populations, while within-study is independent by design
- // Ranking of within-study and independent study approach depends on e.g. similarity of studies:

Smaller CI width with the

- // independent study score, if prognostic factors are the same (left column, performance close to oracle)
- // within-study score, if prognostic factors are at least partially different (middle and right column)





#### Power

## Proportion of treatment effect estimate p-values ≤ 5%

#### score vs. no adjustment

#### **Independent study**

~10 pct pts power increase

 $R^2 = 18\% \rightarrow \sim 20\%$  sample size increase\*

#### Within-study

~5 pct pts power increase

 $R^2 = 9\% \rightarrow \sim 10\%$  sample size increase\*

\*according to ESSI formula