



Estimation of Treatment Effects with Text and Images

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> PSI Conference 8.6.-11.6.2025

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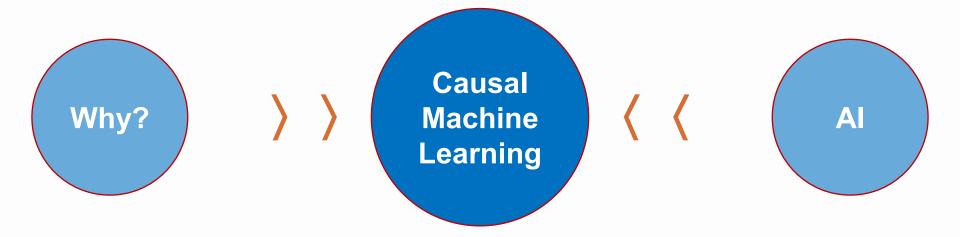






Introduction

Causal Machine Learning



CAUSAL MODELING

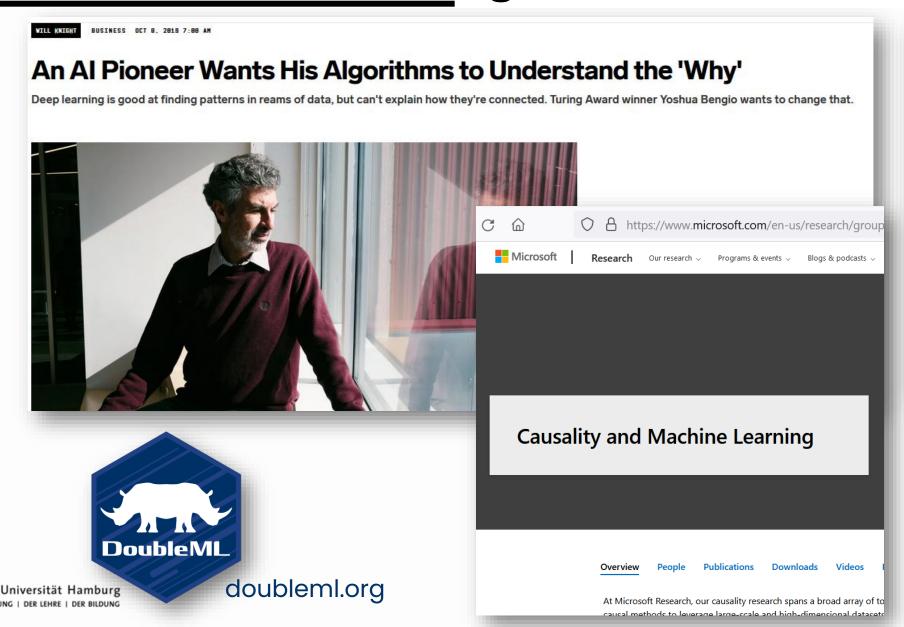
- Learning causal relationships
- Going beyond correlations
- Pioneers: Pearl, Rubin, Imbens (Nobel Prize 2021)

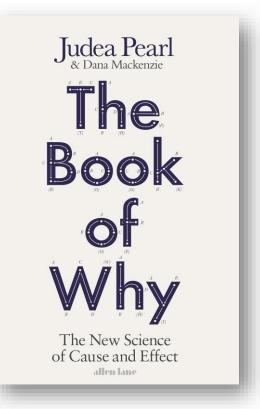
AI/ MACHINE LEARNING

- Learning complex patterns in data
- Correlation based
- Good at forecasting / prediction



Causal Machine Learning





Predictive vs. Causal ML

Predictive ML

Causal ML

How can we build a good prediction rule, f(X), that uses features X to predict?

Example: mortality prediction

"How large it the risk that a patient will die in hospital?"

What is the causal effect of a treatment **D** on an outcome **Y**?

Example: treatment evaluation "Is a new drug better than an old one?"



Methods

Randomized Control Trial

- "Gold standard" in medicine and science
- Widely used and well established
- But also non-standard situations
- Innovations: heterogenous TE, precision

Observational Data / RWD

- Learning causal effects from RWD
- Additional assumptions required
- Toolbox for causal inference in such situations
- Innovation: ML / AI for complex data

Hybrid Methods: Instrumental Variables

- Invented in economics but has become popular more broadly
- Used in settings when Randomized Trials are not feasible and/or new policies / policy predictions are needed
- Can handle large dimensions with solid statistical properties





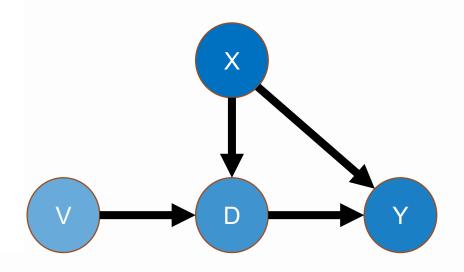
Double Machine Learning

Motivation

We consider the linear regression model in a high-dimensional setting (potentially $p \gg n$)

$$Y = D\theta_0 + X_1\beta_1 + \dots X_p\beta_p + \varepsilon, \quad E[\varepsilon \mid X, D] = 0,$$

- Y outcome variable
- *D* policy/treatment variable
- θ_0 parameter of interest
- $\beta = (\beta_1, \dots, \beta_p)'$ nuisance parameter
- $X = (X_1, ..., X_p)'$ is a vector of other covariates, called "controls" or "confounders" in the sense that





$$D = \gamma' X + \nu, \quad E[\nu | X] = 0.$$

Partially Linear Regression

Partially linear regression (PLR) model

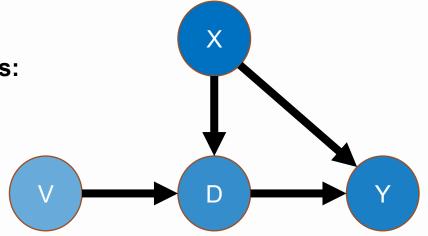
$$Y=D heta_0+g_0(X)+\zeta, \qquad \mathbb{E}[\zeta|D,X]=0, \ D=m_0(X)+V, \qquad \mathbb{E}[V|X]=0,$$

with

- Outcome variable Y
- Policy or treatment variable of interest D
- High-dimensional vector of confounding covariates $X = (X_1, ..., X_p)$
- Stochastic errors ζ and V

Problem of simple "plug-in" approaches: Regularization bias:

If we use an ML model to estimate \hat{g} and simply plug in the predictions \hat{g} , the final estimate on θ_0 will not be unbiased and neither be asymptotically normal



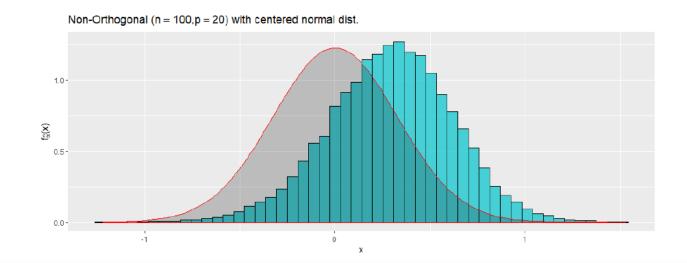


"Naive" or Prediction-Based ML Approach is Bad

Naive/Textbook Inference:

- 1. Select controls terms by running Lasso (or variants) of Y_i on X_i
- 2. Estimate θ_0 by least squares of Y_i on D_i and selected controls, apply standard inference

The distribution of $\hat{\theta}_0 - \theta_0$ looks like this:

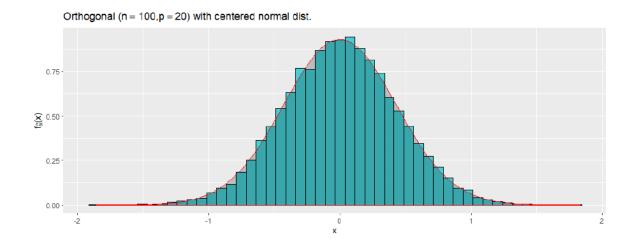




The Double Machine Learning Approach

- 1. Predict Y and D using X by $\mathrm{E}[Y|X]$ and $\mathrm{E}[D|X]$, obtained using Lasso, Random Forest or other "best performing" ML tools.
- 2. Residualize W = Y E[Y|X] and V = D E[D|X]
- 3. Regress W on V to get θ_0

Frisch-Waugh-Lovell (1930s) style with ML methods The distribution of $\hat{\theta}_0 - \theta_0$ looks like this:





The Key Ingredients of DML

1. Neyman Orthogonality

The inference is based on a score function $\psi(W; \theta, \eta)$ that satisfies

$$\mathbb{E}[\boldsymbol{\psi}(W;\boldsymbol{\theta}_0,\boldsymbol{\eta}_0)] = \mathbf{0}$$

Where W := (Y, D, X, Z) and with θ_0 being the unique solution that obeys the **Neyman** orthogonality condition

$$\partial_{\eta} \mathbb{E}[\psi(W;\theta_0,\eta)]\Big|_{\eta=\eta_0} = 0$$

• For many models the Neyman orthogonal score functions are linear in θ

$$\psi(W; heta,\eta)=\psi_a(W;\eta) heta+\psi_b(W;\eta)$$

• The estimator $\tilde{\boldsymbol{\theta}}_0$ then takes the form

$$egin{aligned} ilde{ heta}_0 &= -(\mathbb{E}_N[\psi_a(W;\eta)])^{-1}\mathbb{E}_N[\psi_b(W;\eta)] \end{aligned}$$

PLR example: Orthogonality by including the first-stage regression, i.e., the regression relationship of the treatment variable D and the regressors X

Orthogonal score function

$$|\psi(\cdot)=(Y-E[Y|X]- heta(D-E[D|X]))(D-E[D|X])$$



Neyman Orthogonality

The two strategies rely on very different moment conditions for identifying and estimating $heta_0$

$$\mathbb{E}[\psi(W, heta_0,\eta_0)]=0$$

Naive approach

$$\psi(W, heta_0,\eta)=(Y-D heta_0-g_0(X))D$$

Regression adjustment score

$$\eta=g(X), \ \eta_0=g_0(X),$$

FWL partialling out

$$\psi(W, heta_0,\eta_0) = ((Y-E[Y|X])-(D-E[D|X]) heta_0) \ (D-E[D|X])$$

Neyman-orthogonal score (Frisch-Waugh-Lovell)

$$egin{aligned} \eta &= (g(X), m(X)), \ \eta_0 &= (g_0(X), m_0(X)) = (\mathbb{E}[Y\mid X], \mathbb{E}[D\mid X]) \end{aligned}$$

Both estimators solve the empirical analog of the moment conditions:

$$oxed{rac{1}{n}\sum_{i=1}^n \psi(W_i, heta,\hat{\eta}_0) = 0},$$



where instead of unknown nuisance functions we plug-in their ML-based (hold-out) estimators

The Key Ingredients of DML

2. High-Quality Machine Learning Estimators

The nuisance parameters are estimated with high-quality (fast-enough converging) machine learning methods.

• Different structural assumptions on η_0 lead to the use of different machine-learning tools for estimating η_0 (Chernozhukov et al., 2018, Chapter 3)

3. Sample Splitting

To avoid the biases arising from overfitting, a form of sample splitting is used at the stage of producing the estimator of the main parameter θ_0 .

Cross-fitting performs well empirically (efficiency gain by switching roles)



Heterogenous Treatment effects

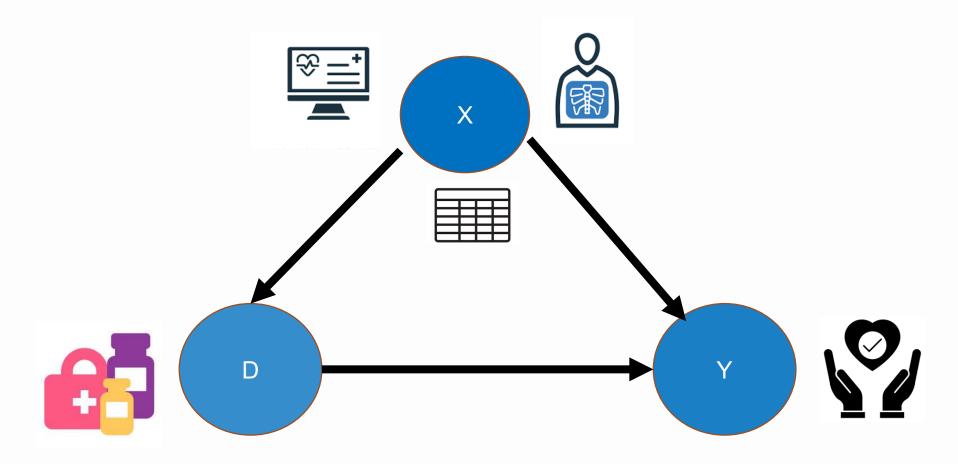
- Treatment effect depending on convariates
- $\theta(X)$
- Key for personalized medicine and targeted policies
- In the last years lot of progress on estimation of HTE with ML /AI
- Double Machine Learning also allows for valid inference of complex objects





DoubleMLDeep







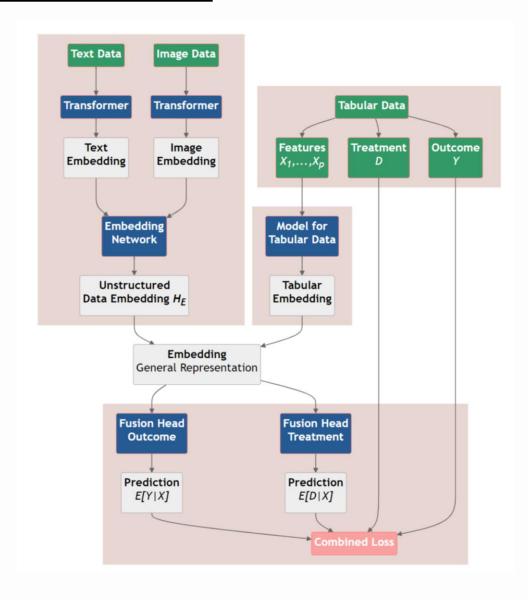




(Multimodal) Confounder / Control Variables











$$Y = D\theta_0 + g_0(X) + \zeta$$

Looking for collaboration partner and beta user!

(Multimodal) Confounder / Control Variables







Search...
Help | /

Computer Science > Machine Learning

[Submitted on 1 Feb 2024]

DoubleMLDeep: Estimation of Causal Effects with Multimodal Data

Sven Klaassen, Jan Teichert-Kluge, Philipp Bach, Victor Chernozhukov, Martin Spindler, Suhas Vijaykumar

This paper explores the use of unstructured, multimodal data, namely text and images, in causal inference and treatment effect estimation. We propose a neural network architecture that is adapted to the double machine learning (DML) framework, specifically the partially linear model. An additional contribution of our paper is a new method to generate a semi-synthetic dataset which can be used to evaluate the performance of causal effect estimation in the presence of text and images as confounders. The proposed methods and architectures are evaluated on the semi-synthetic dataset and compared to standard approaches, highlighting the potential benefit of using text and images directly in causal studies. Our findings have implications for researchers and practitioners in economics, marketing, finance, medicine and data science in general who are interested in estimating causal quantities using non-traditional data.

Subjects: Machine Learning (cs.LG); Artificial Intelligence (cs.AI); Econometrics (econ.EM); Methodology (stat.ME); Machine Learning (stat.ML)

MSC classes: 62, 91
ACM classes: I.2.0

Cite as: arXiv:2402.01785 [cs.LG]

(or arXiv:2402.01785v1 [cs.LG] for this version) https://doi.org/10.48550/arXiv.2402.01785

Submission history

From: Martin Spindler [view email]

[v1] Thu, 1 Feb 2024 21:34:34 UTC (261 KB)







Resources

Online Resources

DoubleML

DoubleML Install Getting started User guide Workflow Python API R API Examples Release notes





Q Search the docs ...

DoubleML

The Python and R package **DoubleML** provide an implementation of the double / debiased machine learning framework of Chernozhukov et al. (2018). The Python package is built on top of scikit-learn (Pedregosa et al., 2011) and the R package on top of mlr3 and the mlr3 ecosystem (Lang et al., 2019).



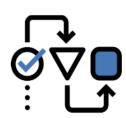
Getting started

New to **DoubleML**? Then check out how to get started!



User guide

Want to learn everything about **DoubleML**? Then you should visit our extensive user guide with detailed explanations and further references.



Workflow

The **DoubleML** workflow demonstrates the typical steps to consider when using **DoubleML** in applied analysis.



Main Features

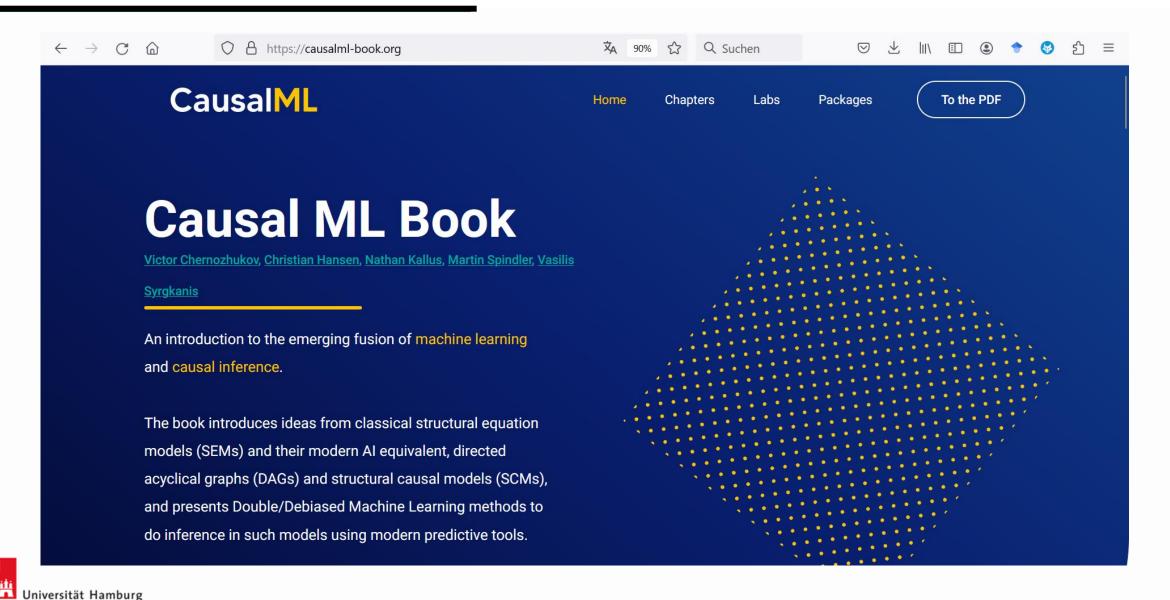
Source code and maintenance

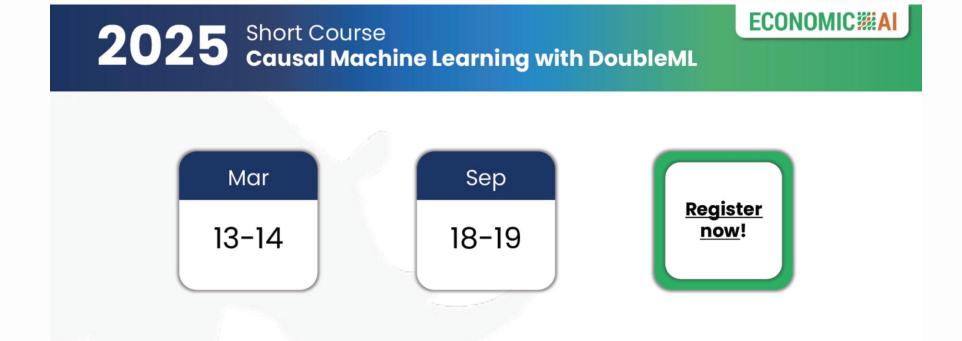
Citation

References



Online Resources











Webinar

Webinar: Causal Al for Industry

On July 2nd, 2025, 16:00 – 17:10 CET

The new field of Causal Al combines Causal Inference and Machine Learning to tackle complex, causal problems that conventional, correlation-based Predictive/Generative Al can't solve. What value does Causal Al offer to industry? Join our webinar for a hands-on introduction to Causal Al and discover its applications in targeted marketing, dynamic pricing, product optimization, advanced A/B testing, and many more.

Don't miss the opportunity – Register now to stay ahead.

Target Audience

Data Scientists, (Data Science) Managers, Statisticians, Analysts, and anyone interested in gaining a first understanding of Causal Al.

ECONOMIC<u>MAI</u> Timetable – July 2nd, 2025 Speaker Contents 16:00 - 16:05 CET Welcome Note Prof. Dr. Martin Spindler Dr. Philipp Bach 16:05 - 16:20 CET What's new in DoubleML? Dr. Helmut Causal AI in Corporate 16:20 - 16:40 CET Wasserbacher Finance: Credit Ratings Dr. Philipp Bach 16:40 - 16:50 CET Upskilling for Causal AI Causal Al Projects & Closing + Jan Rabenseifner 16:50 - 17:10 CET Prof. Dr. Martin Spindler

Register now via Eventbrite



Thank You for Your Attention





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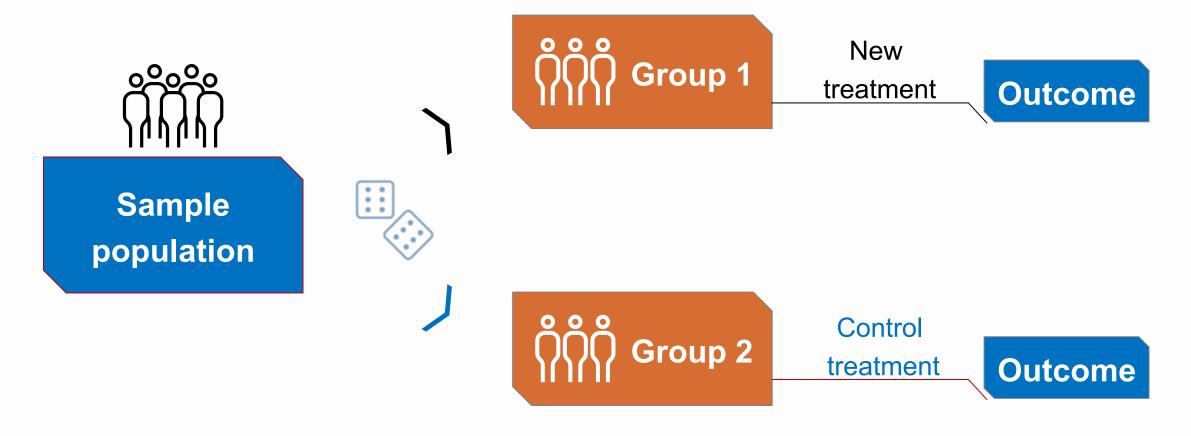
Appendix



Randomized Control Trials

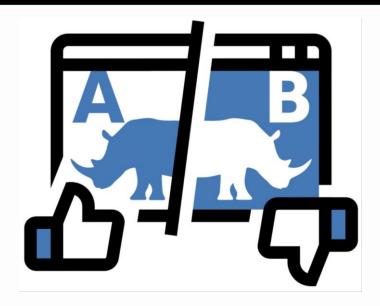


Randomize Control Trial: Evaluating Causal Effects





Application: Randomized Experiments



- General: What is the effect of a certain variable D on a relevant outcome variable Y?
- Randomized experiments are a direct way to estimate such effects (assuming they are conducted properly)

Challenges in practice:

- No (pure) A/B-testing / experiments possible → observational data
- 2. A/B test suffers from low power
- 3. Heterogenous treatment effects

Solution with DoubleML

- **1. Observational study**: Include control variables *X* which may also impact the variables *Y* or *D*
- 2. Include covariates *X* that help to predict the outcome *Y* using ML methods
- 3. Detection of complex treatment effect patterns

RCTs powered by Al

More precise estimation with ML & Al



Heterogenous treatment effects & policy optimization

"Personalized medicine"

Adaptive Experiments & Reinforcement Learning





Observational Data / Real World Data



Real World Evidence

- Additional assumptions are required for causal inference
- Important innovation: Heterogenous Treatment Effects
- Combining CI tools with ML for complex settings
- Multimodal data becoming more and more available (e.g. EHR, medical images)



Real World Evidence

Toolbox for causal inderence:

- Unconfoundedness assumption
 (propensity score matching, regression adjustment, doubly robust estimation, ...)
- More realistic with more data (e.g. EHR)
- Instrumental Variables
- Difference in Difference Estimation
- Synthetic Controls
- Regression Discontinuity
- Panel Data



The Key Ingredients of DML

Illustration of the cross-fitting algorithm

